

**Abstract**

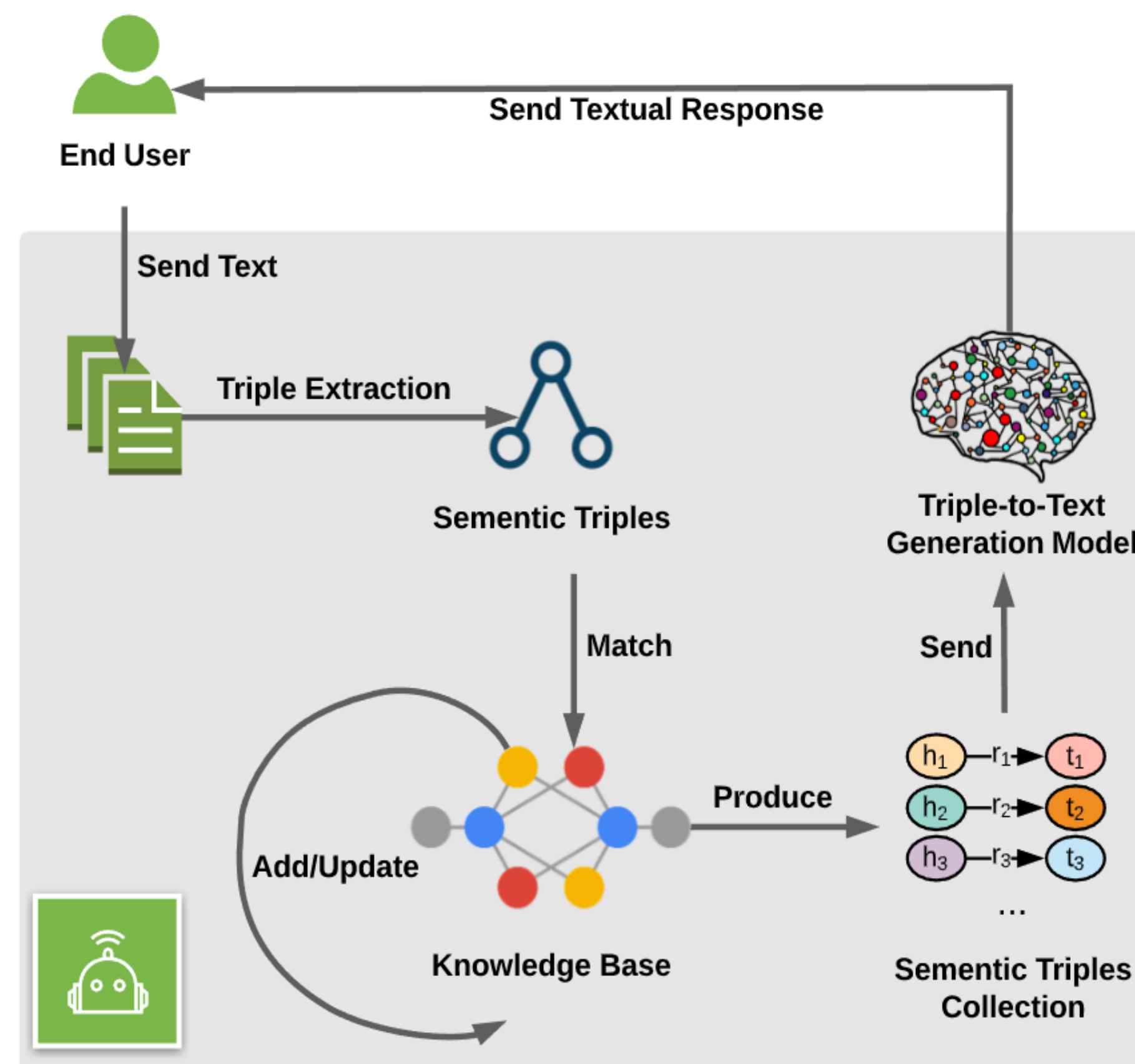
we propose a graph-based adaptive conversational agent model which is capable of learning knowledge from human beings and adapting the knowledge-base according to human-agent interactions. Studies to evaluate the proposed model are conducted and presented, which compare the responses from the proposed adaptive agent model and a conventional agent.

**Introduction**

To address the limitations of existing Conversational Agents, we propose a novel conversational agent model, named Graph-based Self-adaptive Conversational Agent (GSCA). The proposed model enables the agents to learn from the human-agent interactions, continuously enriching the knowledge base. We represent agents' knowledge base as a dynamic and transparent knowledge graph, where the nodes denote key entities and links that describes the semantic relationship. On top of that, to obtain appropriate responses, we develop a temporal-based triple extraction algorithm for GSCA, where Google T5 has been utilized for text generation.

**Advantages of GSCA**

- GSCA is capable of retaining and recalling knowledge obtained from the conversations.
- GSCA has the automatic adaptive skill; notably, it carries memory and knowledge, also consider the time-series context.
- GSCA's knowledge base can be revise and updated without retraining.

**GSCA Framework**

Semantic triples will be extracted using information extraction techniques. Triples  $F = \{f_1, f_2, \dots, f_n\}$ ,  $n \in \mathbb{N}$  can be represented as a collection of facts, and each fact comprises three entities  $\varepsilon$ , i.e.,  $f_x = (hx, rx, tx)$ ,  $f_x \in F$ , where  $h_x$ ,  $rx$ , and  $t_x$  represent head, relation and tail of  $f_x$ , respectively. In GSCA, each entity  $\varepsilon \in \{h, r, t\}$ , has been granted with enriched features, including the last accessed time  $\tau_\varepsilon$ , frequency of being visited  $\omega_\varepsilon$  and attention degree  $\eta_\varepsilon$ . Specifically, the attention degree of any entity  $\eta_\varepsilon$  can be derived by using a time decay function, i.e.,  $\eta_\varepsilon = e^{-\alpha \Delta\tau}$ ,  $\alpha > 0$ , where  $\Delta\tau = \tau_\varepsilon - \tau_{no w}$  and  $\alpha$  describes a constant controlling the degree of decay.

**Conversation Examples**

Topic	Input Sentence	Retrieved Triple	Reply Text
Artist	Aaron turner is a friend of Billy.	"aaron turner" "be friend of" "aaron deer"	Aaron turner was a friend of Aaron Deer.
Artist	Hip hop music is very popular.	"hip hop music" "be genre of" "rap music"	Hip hop music is a genre of rap music.
Artist	Billy performs rap music.	"Billy" "perform" "hip hop music."	Billy performs hip hop music.
Food	Almond is brown colour	"almond" "be" "flowering plant"	Almond is a flowering plant.
Food	Almond has colour	"Almonds" "be from" "rosaceae family"	Almonds are from the rosaceae family.
Food	Almonds is food.	"sandwich" "be" "food"	The sandwich is a food.

**Temporal-based Triple Retrieval (TTR) Algorithm**

- Vectorized entities of a fact:  
 $f_{x'} = v(h_x), v(r_x), v(t_x)$

where  $v(\cdot)$  indicates a function, converting a token into a vector.

- Estimate the distance between the hypothesis triple and existing triples:

$$dis(f_i, f_j) = \sum_{\varepsilon \in \{h, r, t\}} w_\varepsilon \cdot sim(v(\varepsilon_i), v(\varepsilon_j))$$

Where  $sim(\varepsilon_i, \varepsilon_j)$  denotes the cosine similarity between  $\varepsilon_i$  and  $\varepsilon_j$ :

$$sim(\varepsilon_i, \varepsilon_j) = \frac{v(\varepsilon_i) \cdot v(\varepsilon_j)}{\|v(\varepsilon_i)\| \times \|v(\varepsilon_j)\|}$$

While  $w_\varepsilon$  balances the trade-off among  $h$ ,  $r$  and  $t$ . With a restriction of  $\sum_{\varepsilon \in \{h, r, t\}} w_\varepsilon = 1$ .

- The agent identifies potential answer triples with extracted triples and the connected siblings. Given hypothesis triple  $f_i$ , the confidence score of an identified triple.  $f_j = (h_j, r_j, t_j)$  can be derived from distance  $dis(f_i, f_j)$ , normalized frequency of being accessed  $\omega_\varepsilon$  and attention degree of the entity  $\eta_\varepsilon$ , where.  $\varepsilon \in \{h_j, r_j, t_j\}$ .